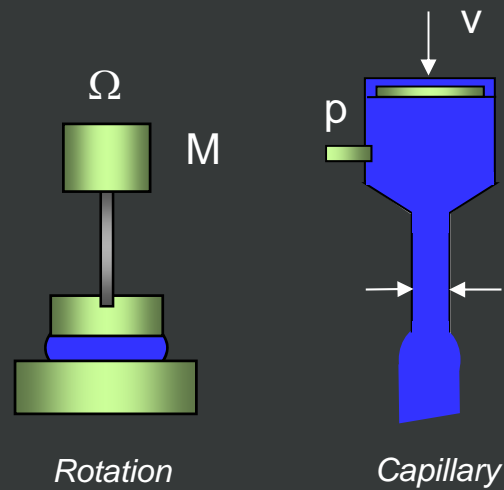


How to measure the shear viscosity properly?

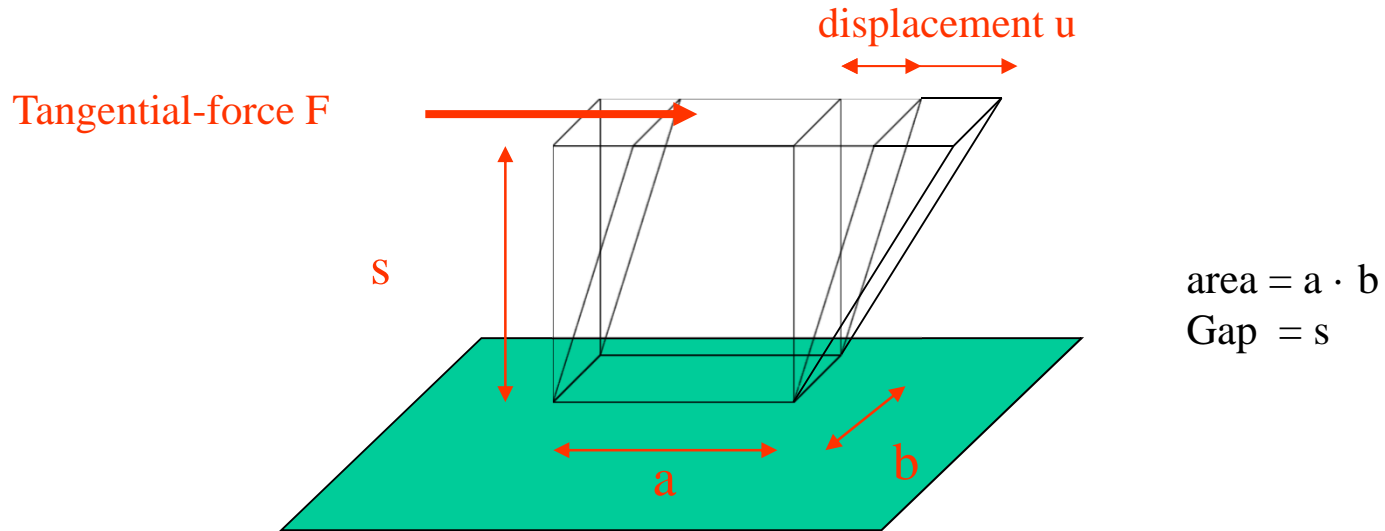


Torsten Remmler, Malvern Instruments

Outline

- How is the Shear Viscosity defined?
- Principle of Operation: Rotational and Capillary Rheometer
- Choice of the Correct Geometry
- Steady State Condition
- Example for Steady State Shear Viscosity Curve

Basic Terms in Shear Rheometry

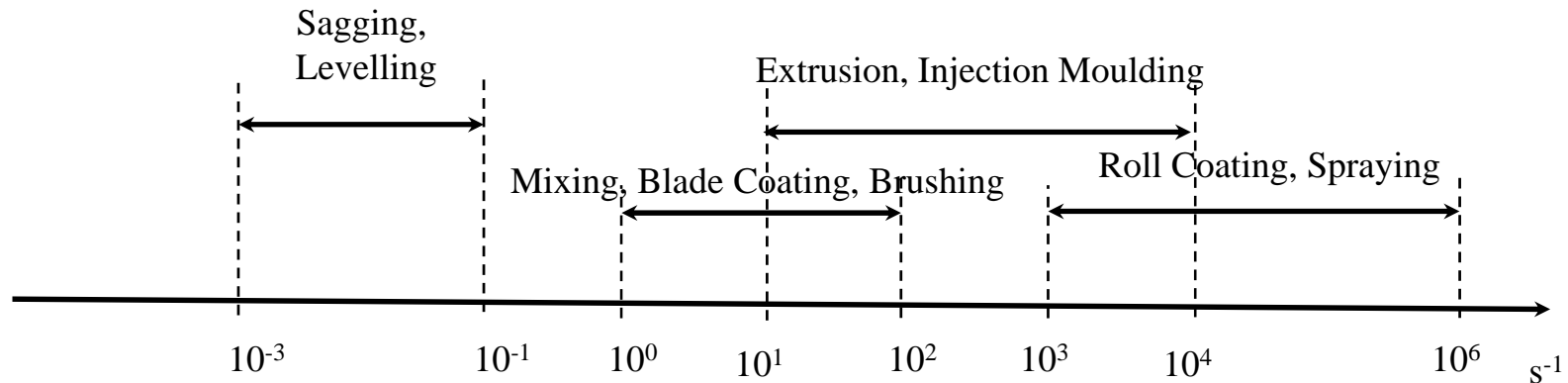


$$\gamma = \frac{u}{s} \quad \text{strain } []$$

$$\dot{\gamma} = \frac{d\gamma}{dt} \quad \text{Shear rate [1/s]}$$

$$\sigma = \frac{F_{\text{tan}}}{A} \quad \text{Shear stress [Pa=N/m}^2\text{]}$$

Typical Shear Rate Ranges



Rotational-Rheometer

Sample: Water up to solids

Results: Shear-Viscosity, Yield Stesses, Visco-Elasticity, Relaxation...

High Pressure Capillary-Rheometer

Sample: Water up to high viscous

Results: Shear-Viscosity, Elongational-Viscosity, Wall Slip...

Shear Viscosity

Resistance of a sample against the flow

$$\eta = \frac{\sigma}{\dot{\gamma}}$$

η — Shear Viscosity

σ — Shear Stress

$\dot{\gamma}$ — Shear Rate

Typical Shear Viscosities

<u>Material</u>	<u>Shear-Viscosity (Pas)</u>
Air	10^{-6}
Aceton	10^{-4}
Water	10^{-3}
Olive Oil	10^{-1}
Glycerol	10^0
Molten Polymers	10^3
Bitumen	10^8
Glass at 500°C	10^{12}
Glass at ambient	10^{40}

Units:

Pascal second Pas (SI)

Poise P (CGS)

Remember

1 Pas = 10 P

1 mPas = 1 cP

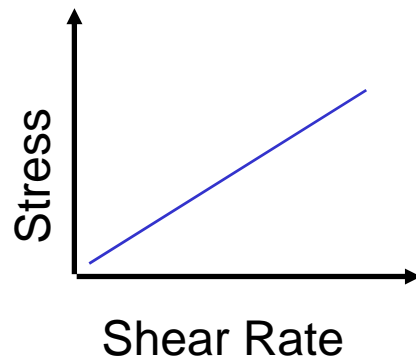
Shear-Viscosity depends on...

$$\eta (T, p, t, \dot{\gamma}) = \frac{\sigma}{\dot{\gamma}}$$

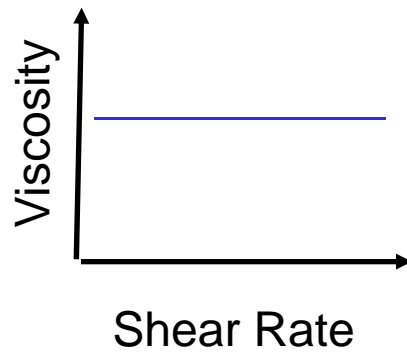
- Physical-chemical structure of the sample
- Temperature (up to 20% / K)
- Pressure
- Time
- Shear Rate

Steady-State Flow Behaviour

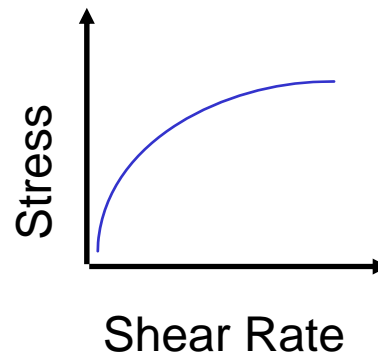
Newtonian



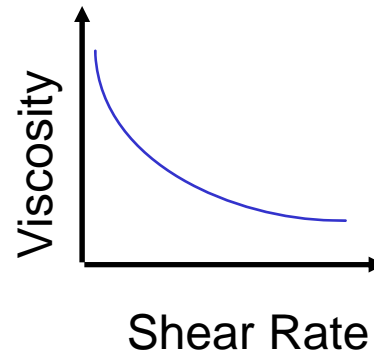
Silicon Oil, Suspension



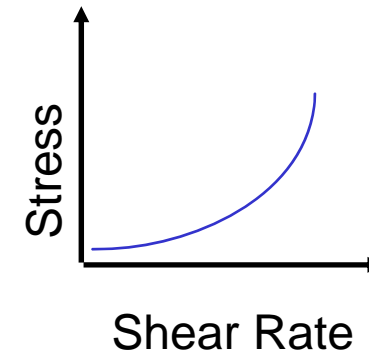
Shear Thinning



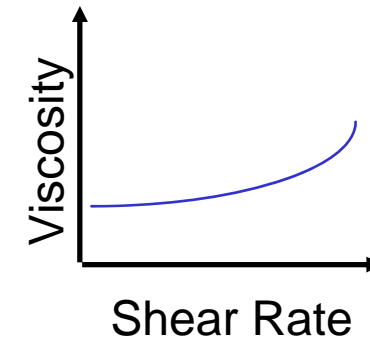
Inks, Paints



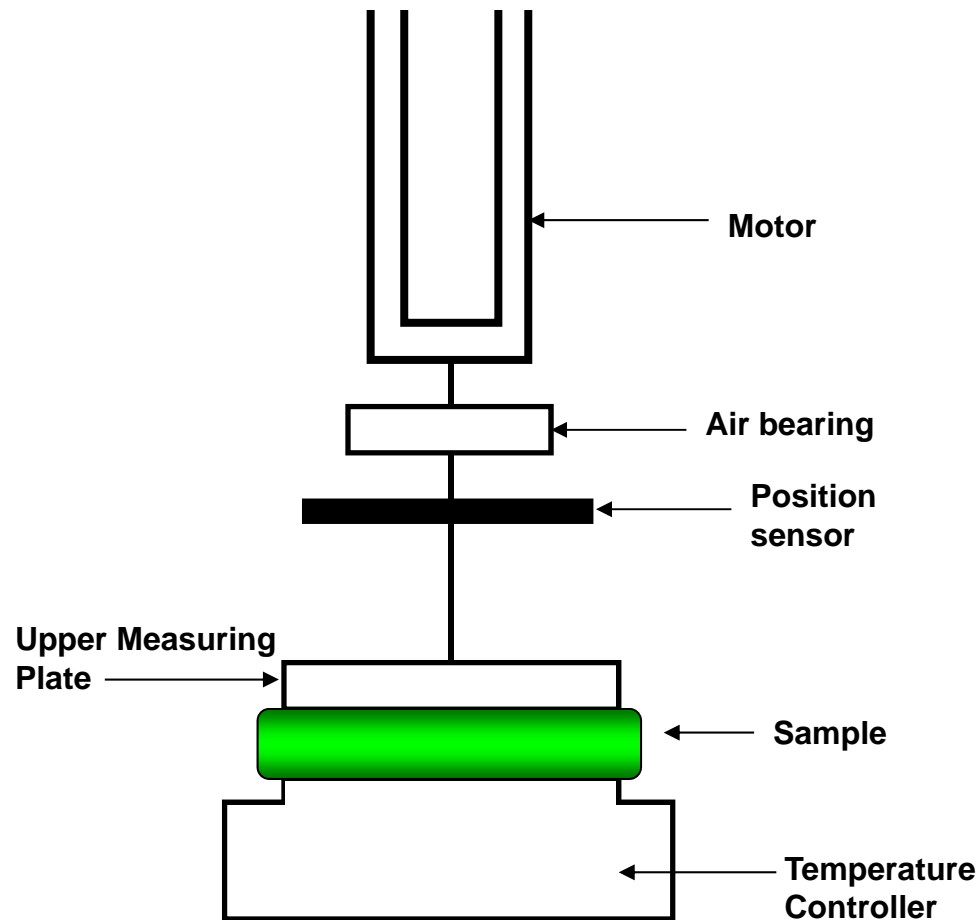
Shear Thickening



Cornflower



Principle of Operation: Rotational Rheometer



Stress- and Strain Control possible.



kinexus

- The drive is situated above the sample, not below.
- The driven spindle is air bearing supported so torque can be measured.
- The separate torque transducer is eliminated!

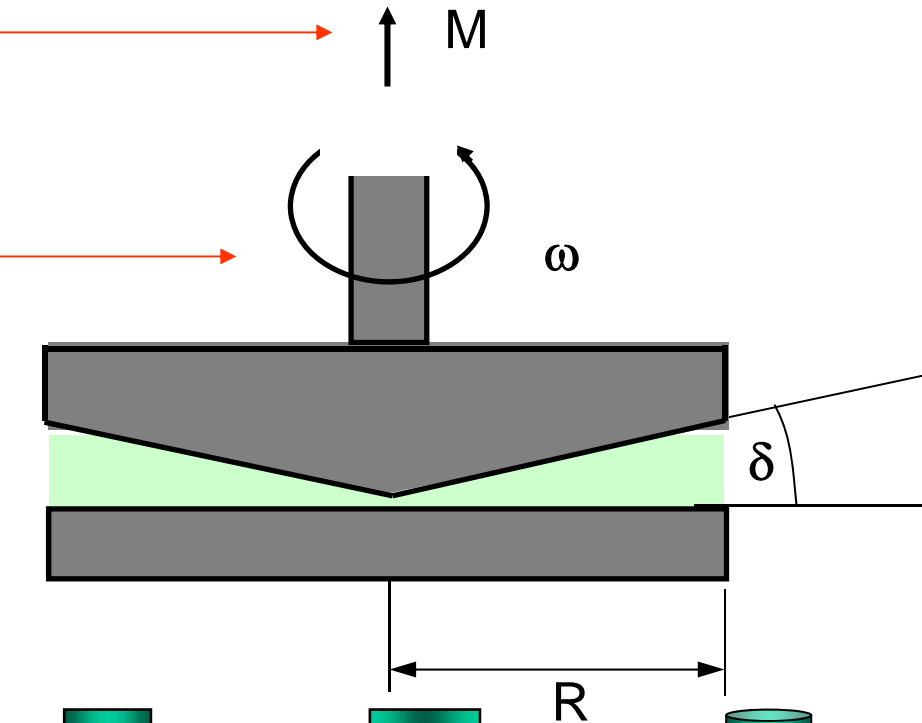
Advantages:

- Wide Torque Range $10e-9$ to $10e-1$ Nm
- Short Response times
- Small inertia design
- Direct Stress and Direct Strain

Choice of Geometry: Rotational Rheometry

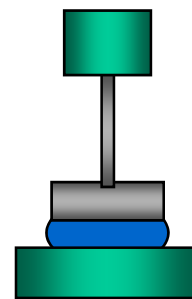
Apply Torque /
Measure Torque

Measure Displ.
Apply Displacement

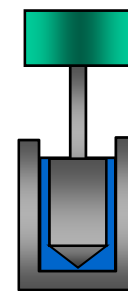


kinexus

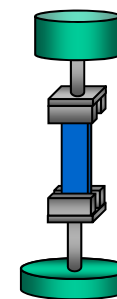
*Rule of Thumb
for dispersions:
Gap Size > 10 * D90*



Parallel Plates



Cup&Bob

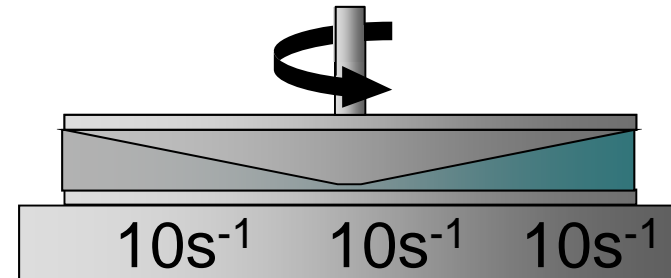
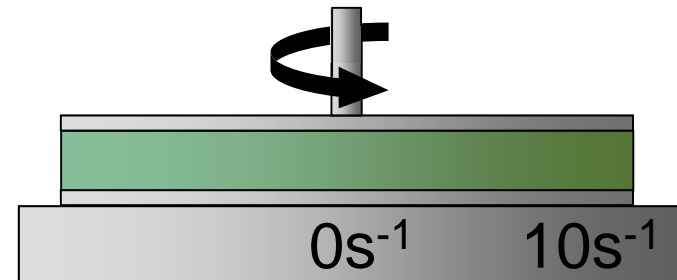


Solids Fixture

- the higher the viscosity,
the smaller the geometry
- the higher the shear rate,
the smaller the gap.

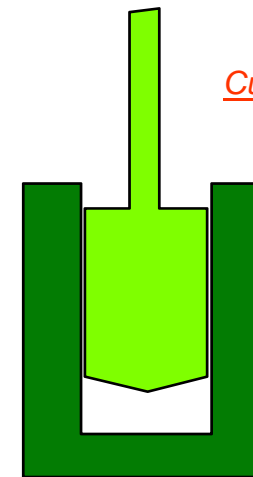
Cone-Plate / Plate-Plate

- **Cone Adv:** *Const Shear Rate along the complete gap, easy cleaning, low sample volume, wide viscosity range*
- **Cone DisAdv:** *only for homogeneous samples, for disperse samples $D_{90} < 10 \times \text{gap}$, solvent evaporation*
- **Plate Adv:** *flexible gap, auto-tension possible, low sample volume, often used for temperature dependent tests, good for disperse systems*
- **Plate DisAdv:** *shear rate dependency, solvent evaporation*

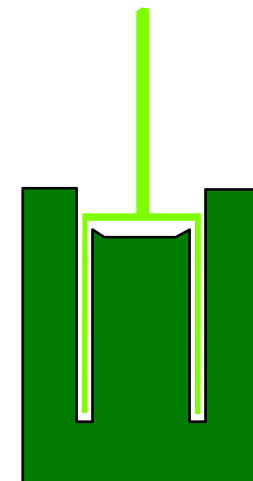


Cup & Bob / Double Gap

- **Cup&Bob Adv:** large gap, works well for disperse systems, also for samples showing sedimentation, large surface area, nearly no evaporation effects, good for low viscous samples, less impact of loading errors
- **Cup&Bob DisAdv:** high moment of inertia limits oscillation and transient steps, high cleaning effort, large sample volumes (ca 2ml – 15ml)
- **Double Gap Adv:** highest sensitivity for low viscous samples, lower inertia compared to cup&bob, nearly no impact on loading errors
- **Double Gap DisAdv:** large sample volume (ca. 15ml – 30ml), difficult cleaning



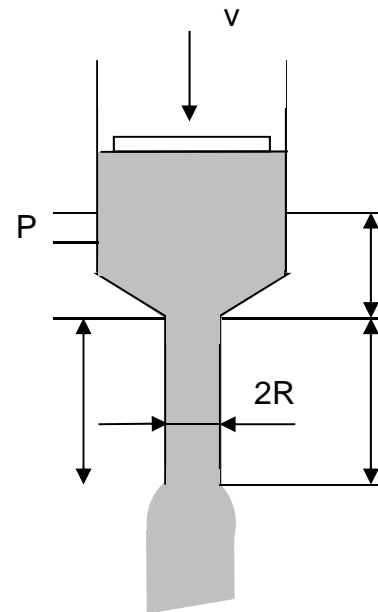
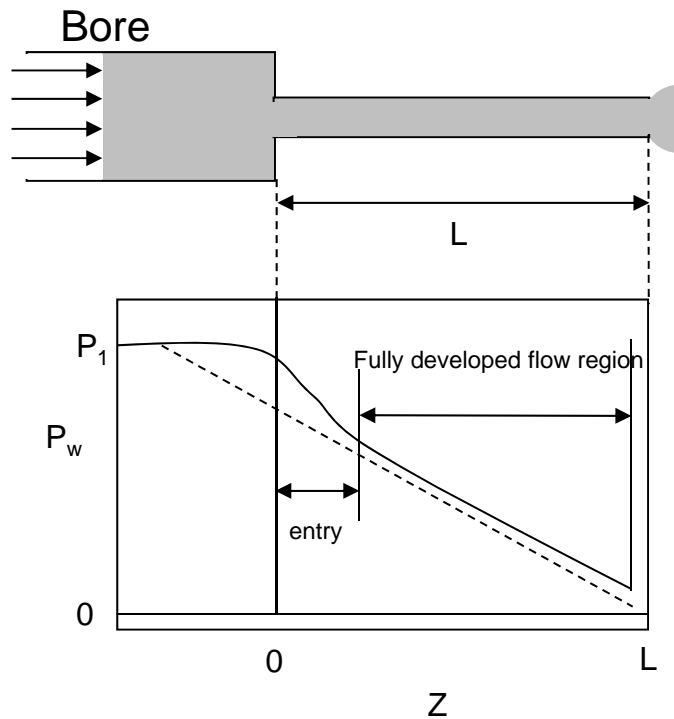
Cup&Bob acc DIN53019



Double Gap

Principle of Operation: Capillary Rheometer

Given quantity: piston speed \Rightarrow wall shear rate
 Measured quantity: pressure drop \Rightarrow wall shear stress



Full pressure drop
 =
 Entrance pressure drop
 +
 Shear pressure drop



RH2000

Laminar Pipe Flow

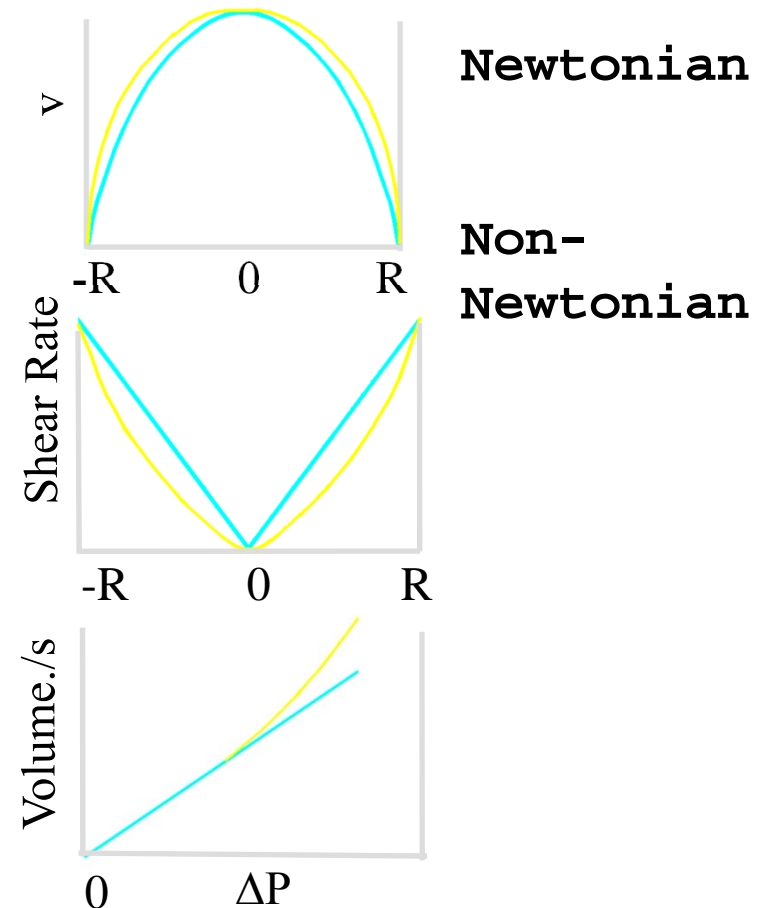
Isothermal, stationary Flow of an incompressible fluid

Newtonian

$$\dot{\gamma}_{\text{app}} = \frac{4 \cdot Q}{\pi R^3}$$

$$\sigma_{\text{app}} = \frac{R \cdot \Delta P}{2 \cdot L}$$

Q = Volume Flux, R = Die Radius,
 L = Die Length, ΔP = Pressure Drop



Choice of Geometry: Capillary Rheometer

$$\dot{\gamma}_{\text{app}} = \frac{4 \times Q}{\pi R^3}$$

$$\sigma_{\text{app}} = \frac{R \times \Delta P}{2 \times L}$$

Shear Rate Ranges:

2.0mm = ca. 0.1 bis 100 /s

1.5mm = ca. 1 bis 1000 /s

1.0mm = ca. 10 bis 10000 /s

0.5mm = ca. 100 bis 100.000 /s

0.3mm = ca. 1000 bis 1.000.000 /s



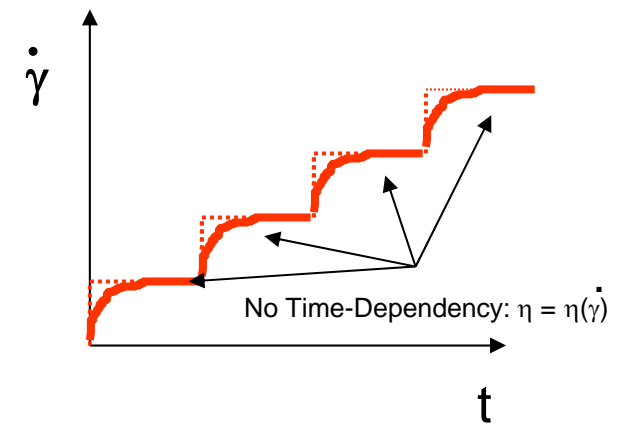
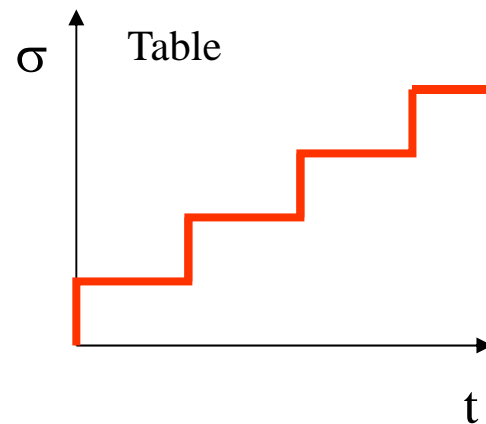
⇒ 2-3 decades of shear rate can be achieved with a capillary die

Q = Volume Flux, R= Die Radius, L= Die Length, ΔP=Pressure Drop

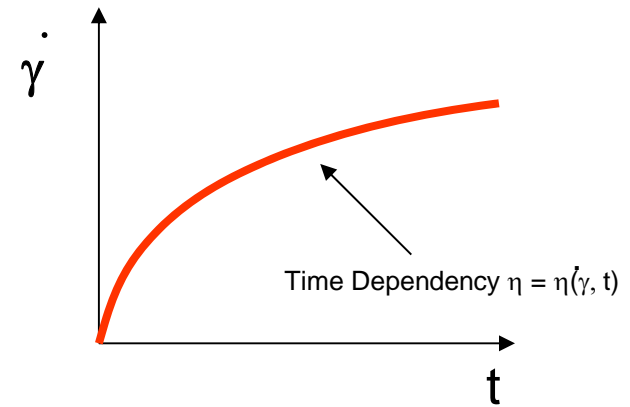
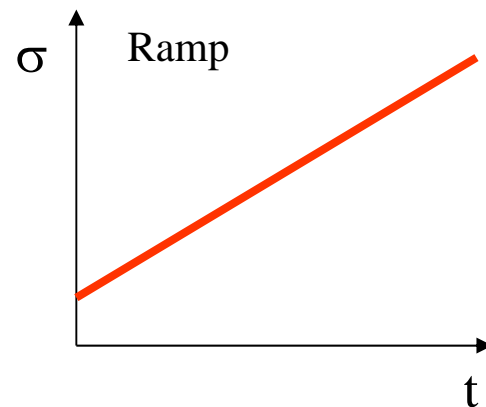
Basic Viscometry: How to run a flow curve

CS-Mode: Steady state and non-steady state measurements

Steady state:



non-steady state:



Steady State Flow Properties

Newton: $\eta = \frac{\sigma}{\dot{\gamma}}$

Flow Curve: $\sigma = \sigma(\dot{\gamma})$ \longleftrightarrow $\dot{\gamma} = \dot{\gamma}(\sigma)$

CR-Mode

CS-Mode

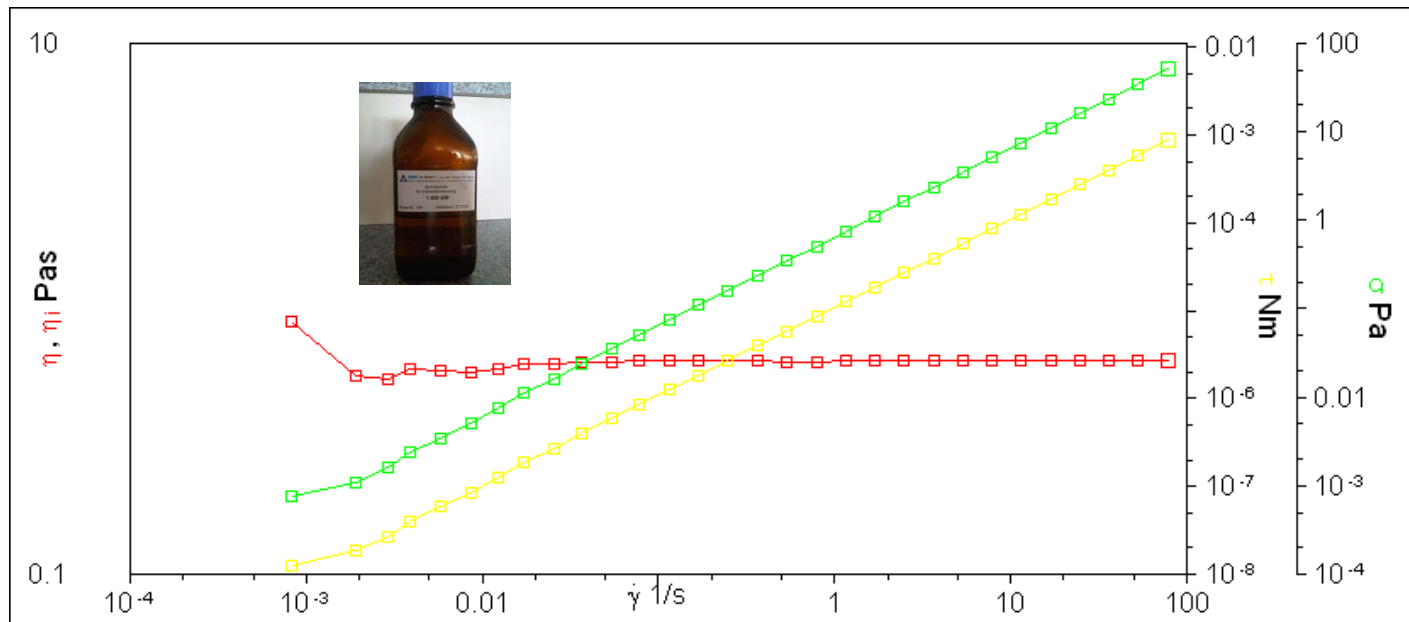
Shear Viscosity Curve: $\eta = \eta(\dot{\gamma})$ \longleftrightarrow $\eta = \eta(\sigma)$

Steady State Condition: Rotational Rheometry



Kinexus Rheometer

$$J = \frac{\gamma}{\sigma}$$

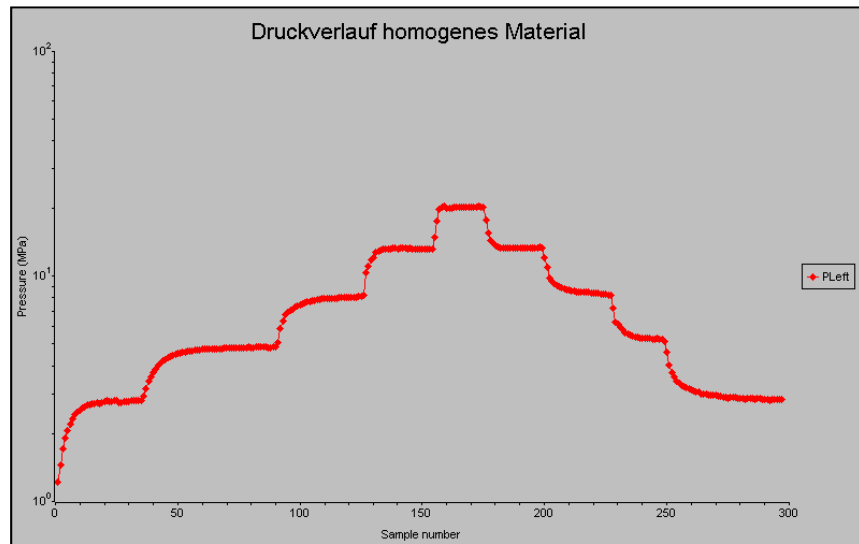


	t s	T °C	σ Pa	γ̇ 1/s	η Pas	dLn J/dLn t	Hinweis
1, 27	406.366	25.0	2.321E-3	3.927E-3	0.59101	1.005	
1, 28	421.430	25.0	1.581E-3	2.937E-3	0.53832	0.988	8
1, 29	436.494	25.0	1.077E-3	1.936E-3	0.5563	0.960	8
1, 30	451.572	25.0	7.339E-4	8.261E-4	0.88841	0.899	8

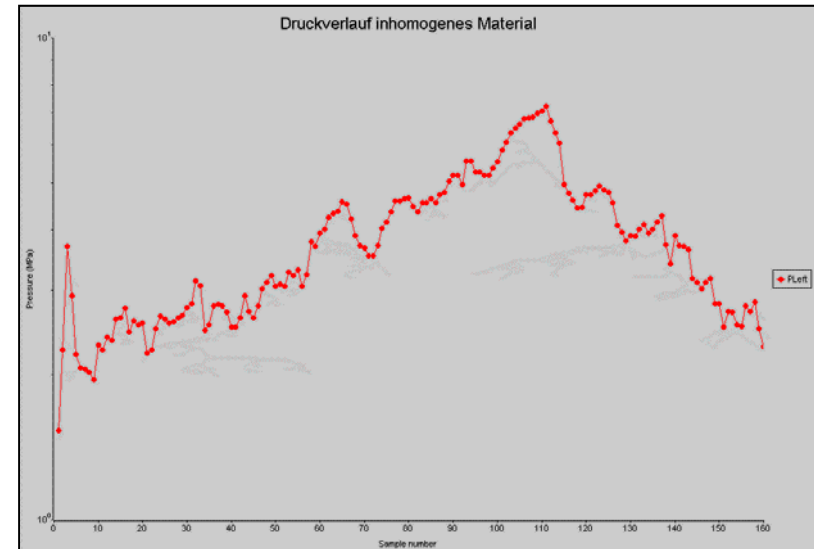
⇒ $d\text{Ln}J/d\text{Ln}t = 1$ for pure viscous flow!

⇒ Deviations show measurement errors!

Steady State Condition: Capillary Rheometry



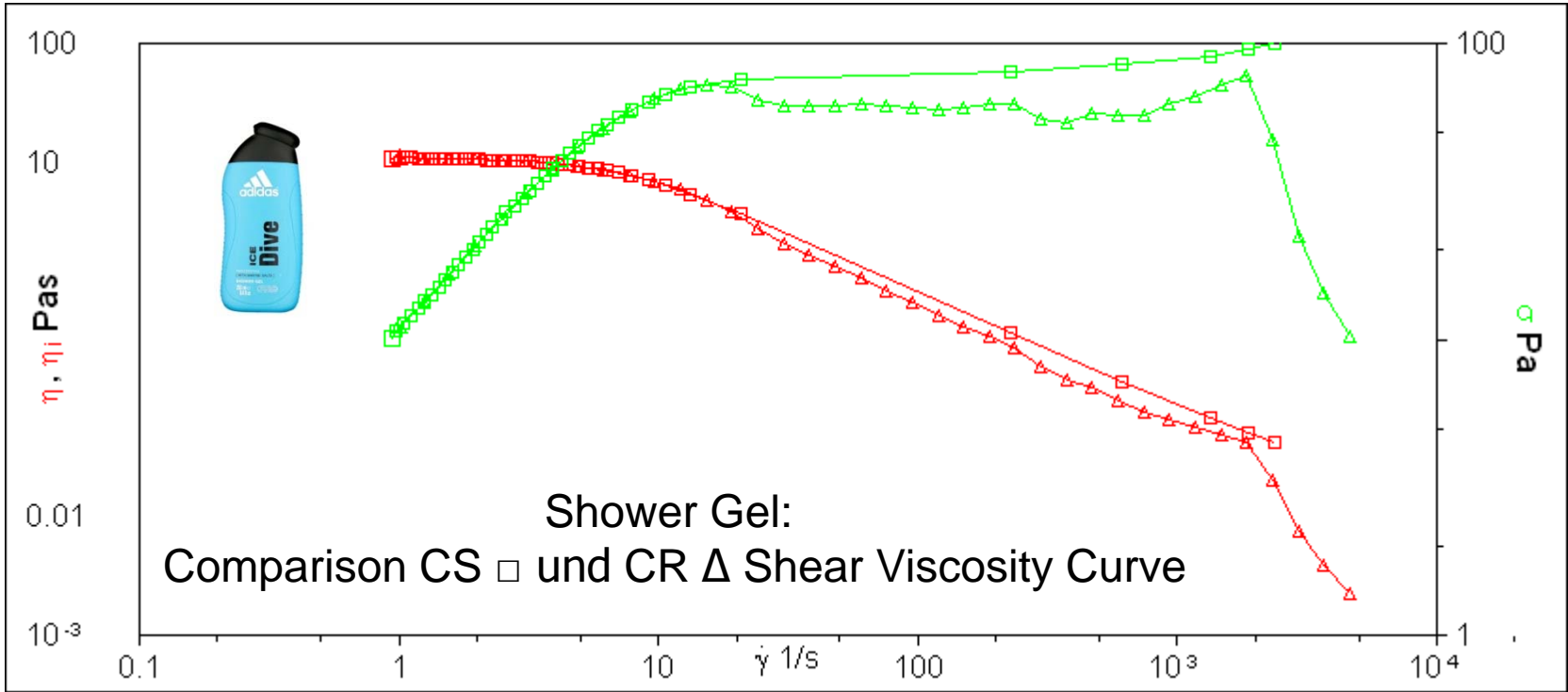
homogeneous



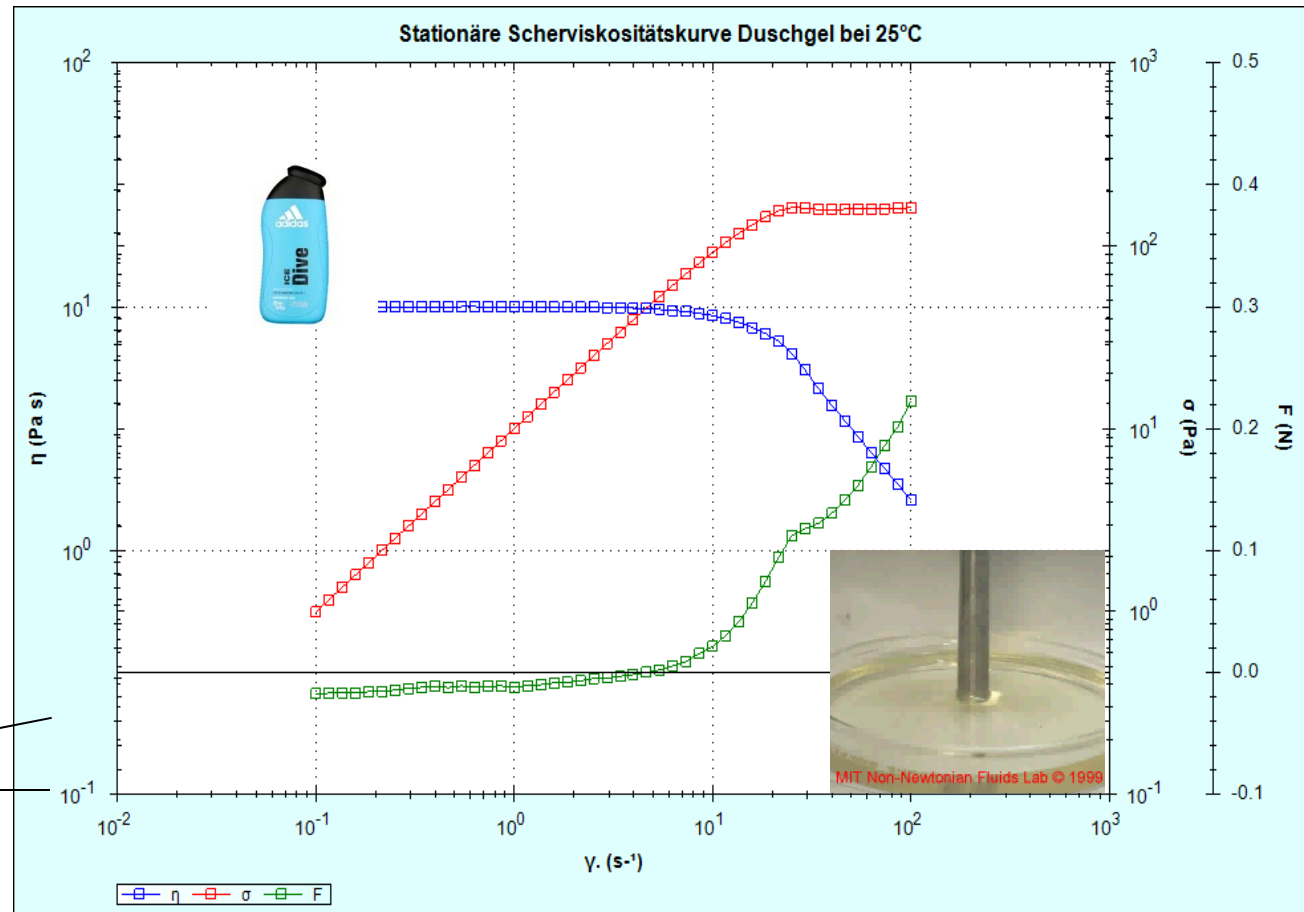
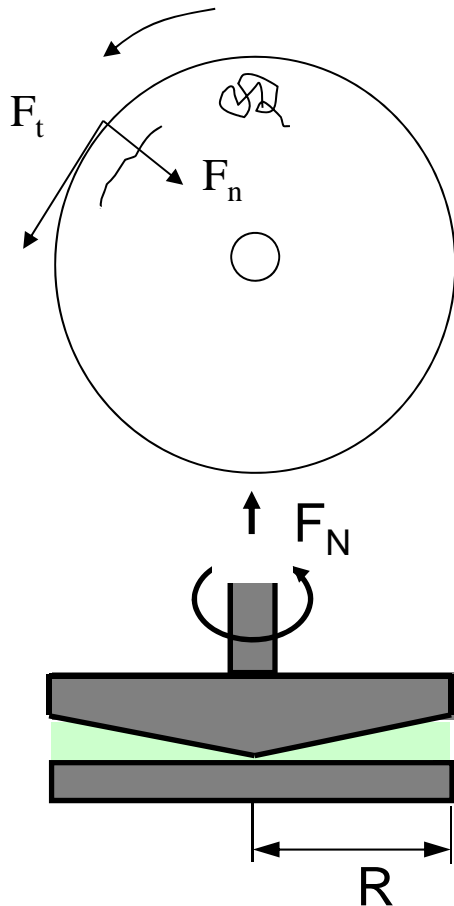
inhomogeneous

⇒ Equilibrium Pressure Drop is needed for Steady State Viscosity.

Comparison Stress- and Rate Controlled Test

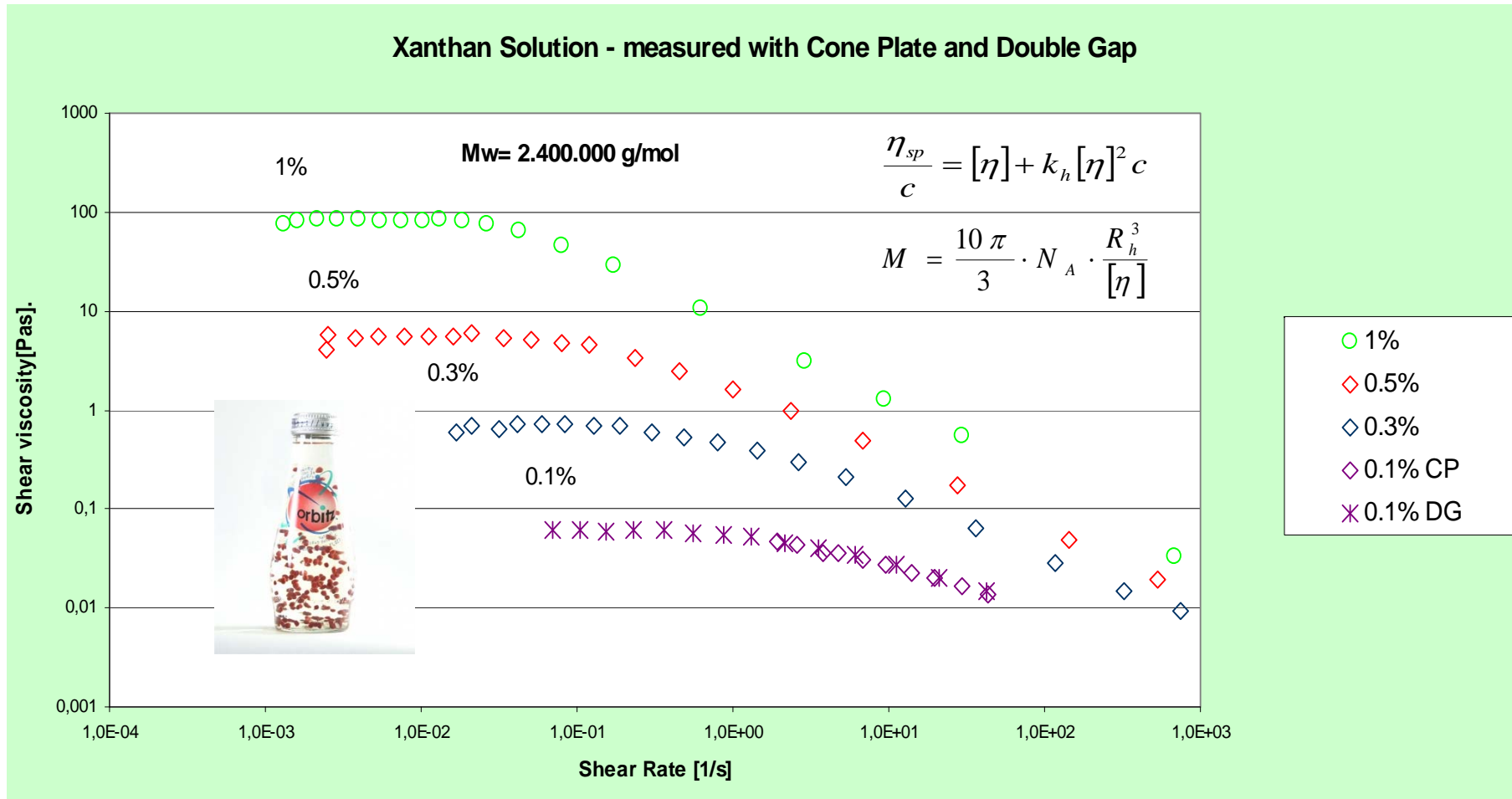


Normal Stress Difference N1



⇒ Always watch the Normal Stress during a Shear Viscosity Measurement!

Example: Steady State Viscosity Curve



Conclusion

- Correct Geometry Choice is key for Viscosity Measurement
- Steady State Condition in both Rotational and Capillary Rheometry
- Monitoring N1
- Interpretation: Correct Stress / Shear Rate Range for Shear Viscosity Curve

Thank you for your attention.



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